Discovering Latent Domains for Multisource Domain Adaptation

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Background: Object Recognition



Training Images

Background: Object Recognition



Test Image: Correct!

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Background: Object Recognition



Test Image: Incorrect

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Background: Domain Adaptation

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 - Feature Transformation Techniques: Saenko (ECCV 2010), Kulis (CVPR 2011), Gopalan (ICCV 2011), Gong (CVPR 2012), ...
 - Parameter Adaptation Techniques: Yang (ACM Multimedia 2007), Duan (CVPR 2009), Bergamo (NIPS 2010), Ayatar (ICCV 2011), ...

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- All previous methods require datasets separated into homogeneous domains

Goal: Separate heterogeneous data into homogeneous domains









Method 1/4: Separate by category label



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Method 2/4: Cluster each category independently



Method 3/4: Constrained clustering algorithm



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Method 4/4: Iterate steps (2-3) - Output domains



Hierarchical Gaussian Mixture Model



- x feature vector (with known label y)
- μ mean of local cluster
- Z^L assignments for local clusters
- Z^G assignments for global clusters
 - m mean of global cluster

Optimization Formulation

 $\min_{\mathbf{Z}^G, \mathbf{Z}^L, \boldsymbol{\mu}, \mathbf{m}}$

subject to:

$$\sum_{i=1}^{n} \sum_{j=1}^{J} \mathbf{Z}_{ij}^{L} (x_{i} - \mu_{j})^{2} + \sum_{j=1}^{J} \sum_{k=1}^{S} \mathbf{Z}_{jk}^{G} (\mu_{j} - \mathbf{m}_{k})^{2}$$

$$\forall j, k : \ \mathbf{Z}_{jk}^{G} \in \{0, 1\}, \quad \forall i, j : \ \mathbf{Z}_{ij}^{L} \in \{0, 1\}$$

$$\forall j : \ \sum_{k=1}^{S} \mathbf{Z}_{jk}^{G} = 1, \quad \forall i : \ \sum_{j=1}^{J} \mathbf{Z}_{ij}^{L} = 1$$

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Results

- Office dataset with three known domains: amazon(a), webcam(w), dslr(d)
- 31 Categories, 10-20 images per category



- Bing web search data set. Heterogeneous and weakly-labeled data.
- 30 Categories, 50 Images per Category, Set Number of Domains = 3



(a) "Cartoon Images"



(b) "Cluttered Scenes"



(c) "Product Images"

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Thank you!

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